## The Flight from Maturity

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#### Preview

- During the crisis short-term lending became shorter and shorter.
- BearingPoint: "Borrowing money from other banks or even between different departments of the same bank for more than a day has become very difficult."
- BP interviews: "...liquidity in the unsecured market is currently concentrated in 'Overnight' transactions."

#### Preview continued

- We study three short-term unsecured markets: CP, FF, Eurodollars, and the secured market—repo.
- Show that in normal times these markets are the same, i.e., all are 'near' riskless. i.e., borrowers are riskless.
- In the crisis, there are no riskless borrowers.
   There is a flight from maturity.

## Four Money Markets

- Secured market: repo lenders get collateral.
- Unsecured markets appear to screen borrowers to maintain high quality.
  - CP issuers require minimum ratings—orderly exit.
  - FF-must be a regulated bank.
  - Eurodollars-largely regulated entities.

# Spreads and the Slope of the Term Structure of Spreads

- $r_{ti}^{\tau}$  is the annualized rate of return at time t for money market instrument i with maturity  $\tau$ .
- Define:  $\theta_{t,i}{}^{\tau} \equiv r_{t,i}{}^{\tau} r_{t,OIS}{}^{\tau}$  as the <u>spread</u> between the rate on money market instrument i and the overnight index swap (OIS) rate at date t for maturity  $\tau$ .
- $\Phi_{t,i}^{\tau 2,1} \equiv \theta_{t,i}^{\tau 2} \theta_{t,i}^{\tau 1}$ , where  $\tau 2 > \tau 1$ , is the <u>slope</u> of the term structure of spreads (various maturities).

## Preliminary Hypotheses about Money Markets

- 1.  $\Theta_{t,i}^{\tau} \approx 0$ , for i=CP, FF, Euro\$, and for all  $\tau$ . I.e., borrowers in unsecured markets are screened. Only high quality firms can borrow. Money markets are near riskless.
- 2.  $\Phi_{t,i}^{\tau 2,1} \approx 0$ , i.e., term structure flat; no term premium. (It could be that  $\theta_{t,i}^{\tau} > 0$ , but term structure flat.)

## Crisis Hypotheses

- Crisis: An event in which there are no high quality firms in the money markets.
- One possible outcome: no trade at all. For the CP market we have issuance data, and there was (short) issuance during the crisis.
- In the unsecured market, screening during the crisis might take the form of "time tranching," i.e., lenders are only willing to lend at very short horizons. Borrowers want long.
- 3. Hypothesis:  $\Phi_{t,i}^{\tau 2,1} > 0$ , i.e., the slope becomes positive the flight from maturity.
- In repo, haircuts rise. In addition, it may be that  $\Phi_{t,i}^{\tau 21} > 0$ .

## Crisis Hypotheses continued

- $\Phi_{t,i}^{\tau 2,1} > 0$ , i.e., the slope becomes positive.
- The slope becomes positive if there are no safe borrowers....

...and no one wants to lend long.

• So, Hypothesis 4:  $\Delta\Phi_{t,i}^{\tau 2,1} > 0 \rightarrow$  counterparty risk is higher in the future.

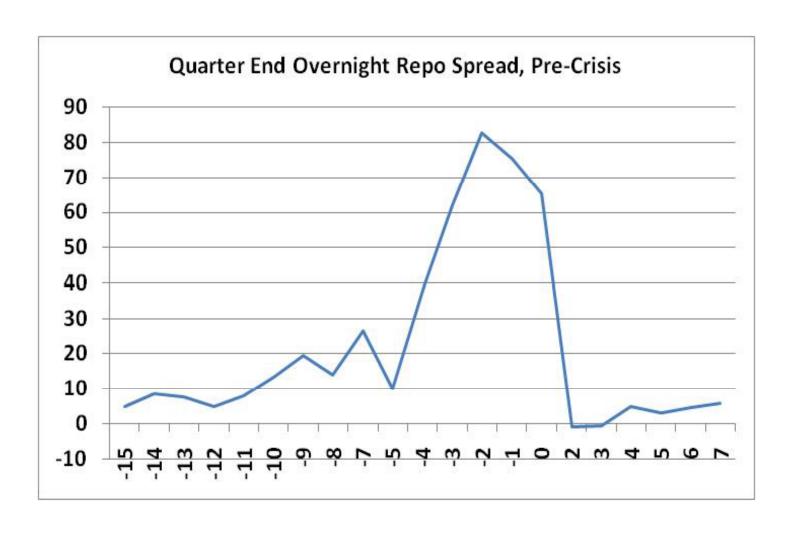
Should we express the hypothesis as delat\_ $\Phi$ t,i $\tau$ 2,1 > 0 (if slope increases) then counterparty risk is higher in the future?

#### Data

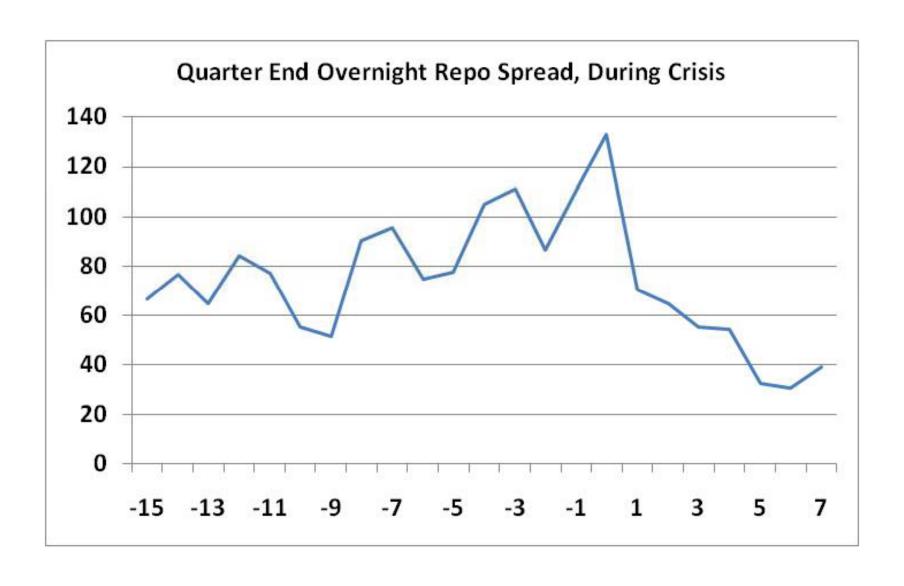
- Daily data Jan 2006- Apr 2009 on repo rates for:
  - Various terms: Overnight, 1 month, 3 month.
  - Various asset classes: different ABS classes, CLOs,
     CDOs, corporate bonds (by rating category).
- Daily data on FF, CP, Eurodollars for various terms.
- Issuance data for CP, by category of issuer.

the period should be 2006 to 2009. Lei, 9/29/2010L2

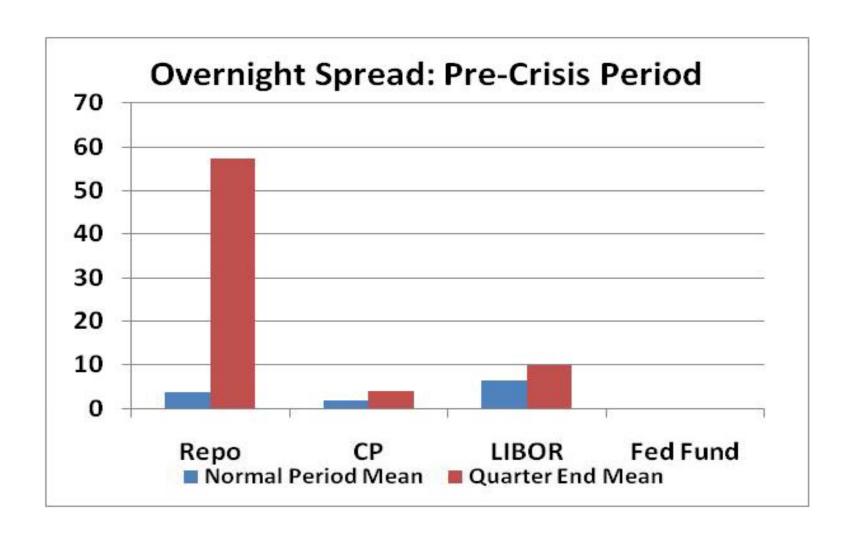
## Preliminaries: Window-Dressing



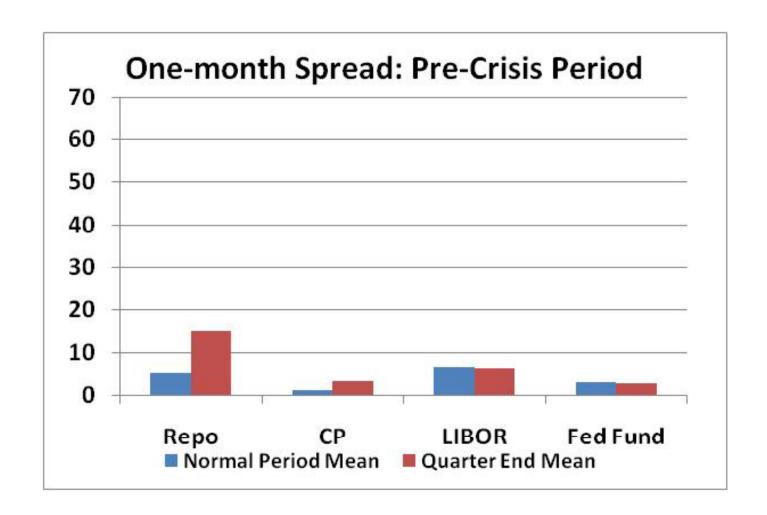
### Preliminaries continued

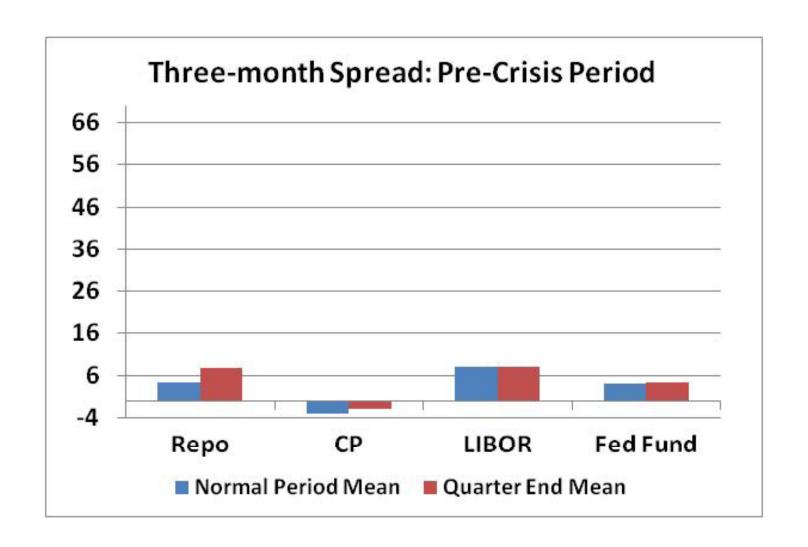


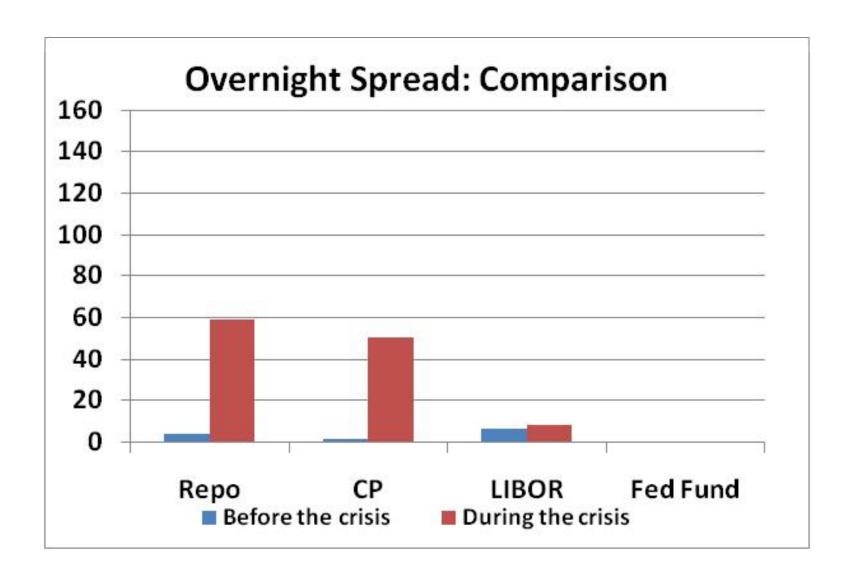
$$\theta^{\tau}_{t,repo} = \alpha + \beta Quarter - end \ Dummy + \epsilon_t$$

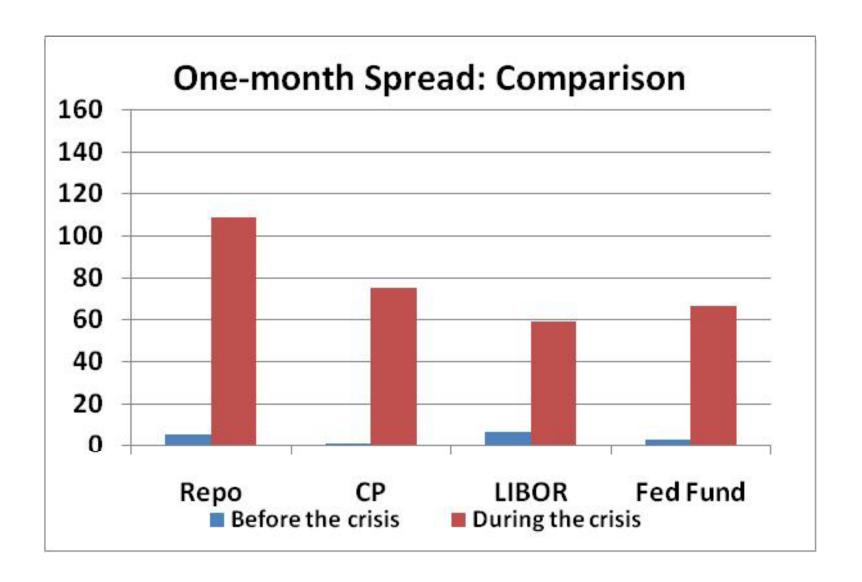


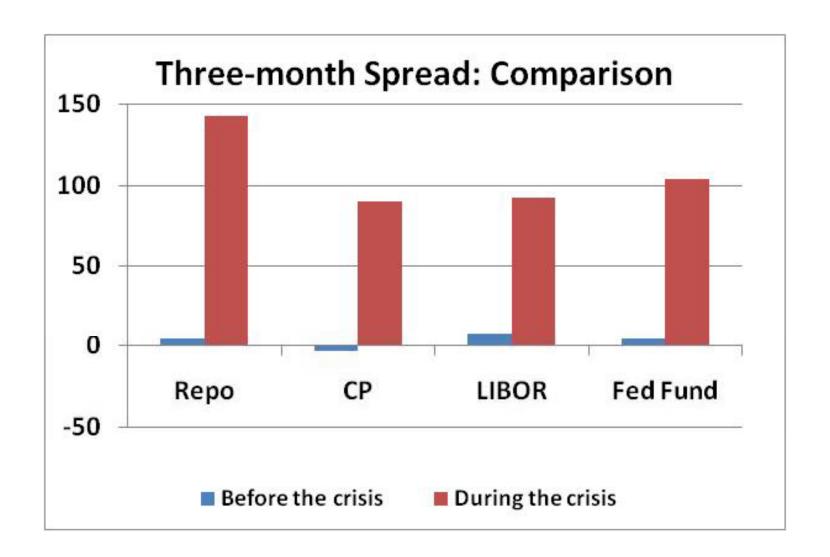
Here the dependent variable should be overnight spread? Lei, 9/29/2010 L1

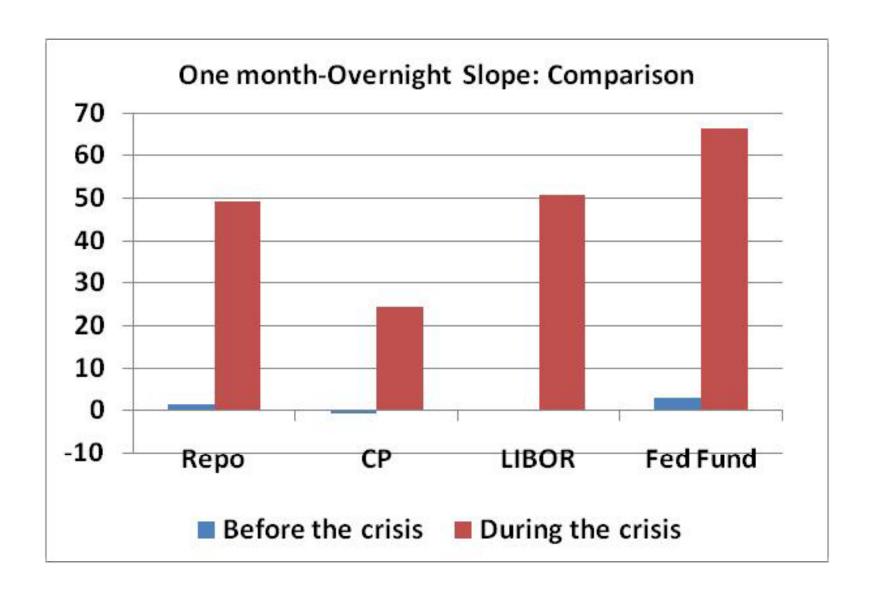


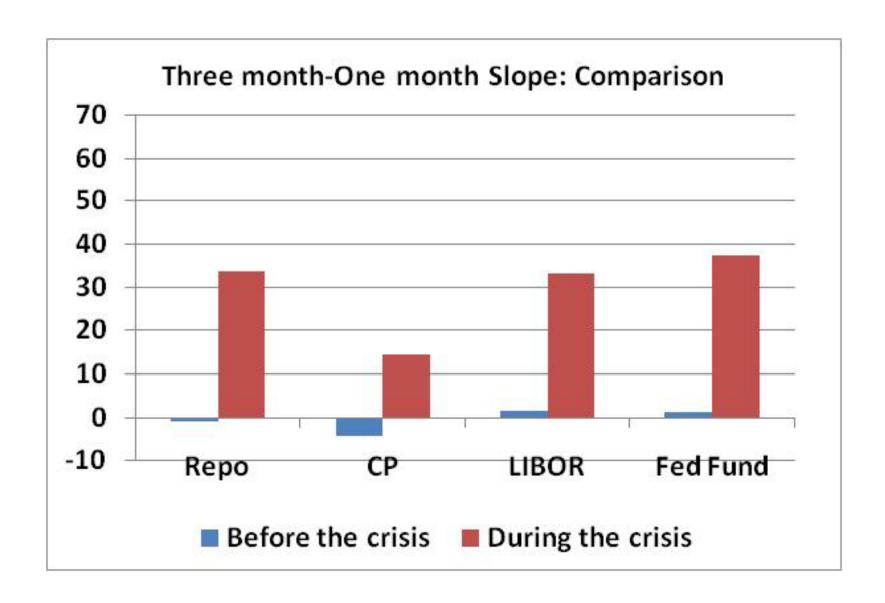


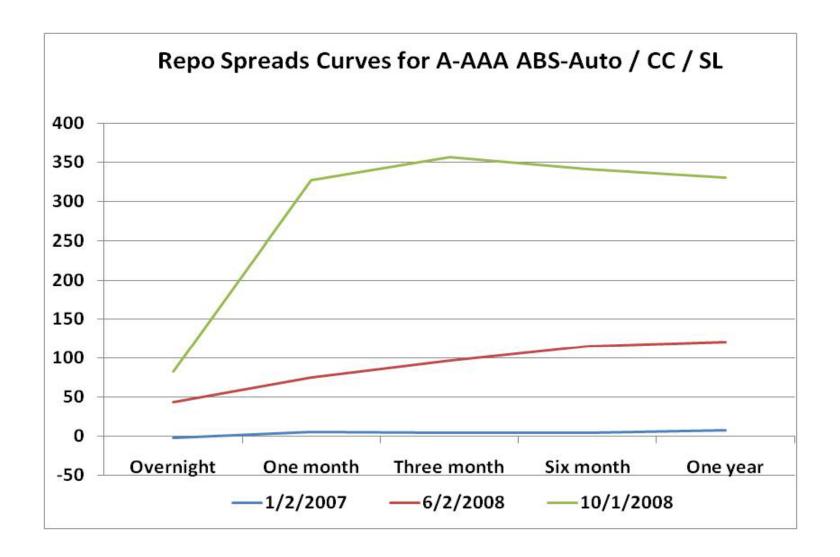


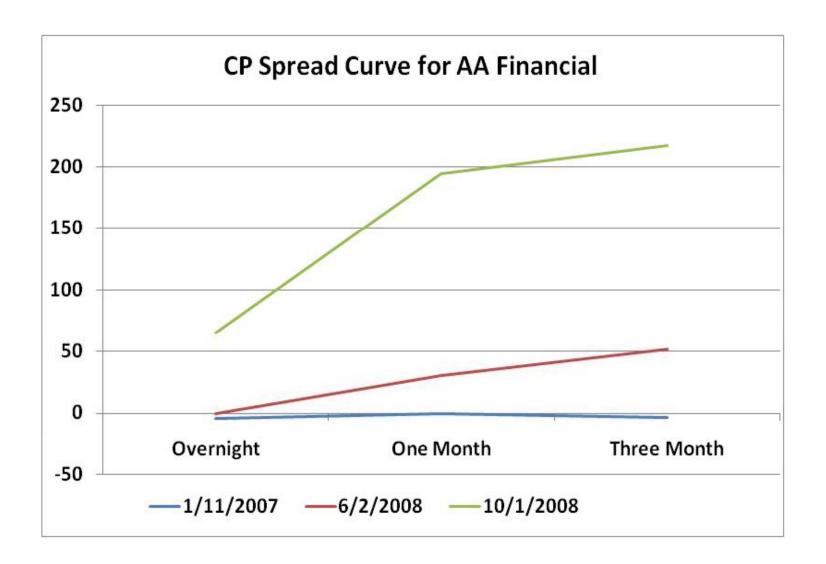


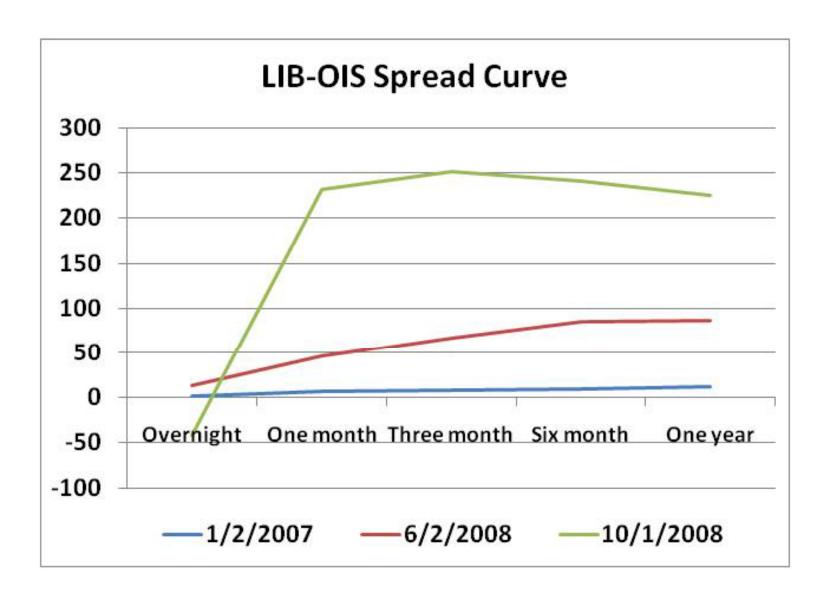


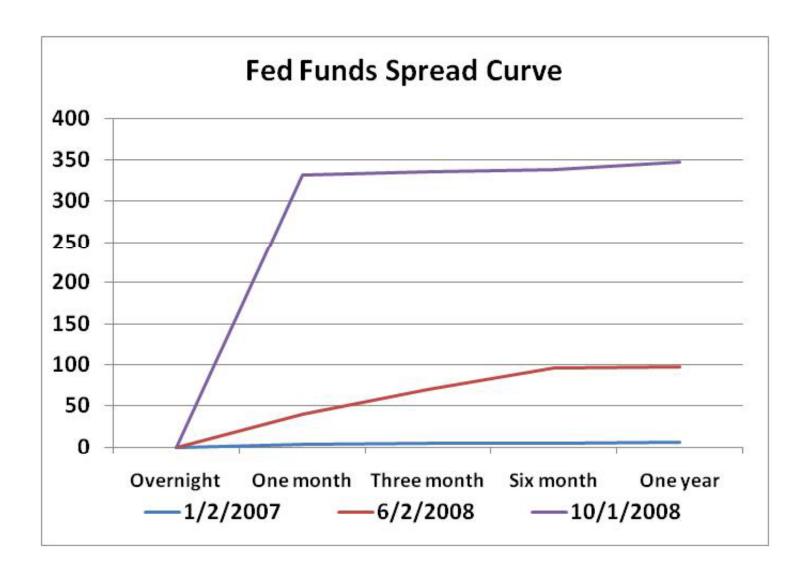












Hypothesis 4:  $\Delta\Phi_{ti}^{\tau 21} > 0 \rightarrow$  counterparty risk is higher in the future.

$$\begin{split} \Delta\theta_{t,repo}^{2m} = \alpha + \sum_{j=1}^{n} \beta_{j\Delta} \Phi_{t-j,repo}^{1m1d} + \sum_{j=1}^{n} \Delta\theta_{t-j,repo}^{2m} + Qend\ dummy + \Delta 10Yr\ Treasury \\ + \Delta(10YrTreasury)^2 + \Delta VIX + \Delta S\&P + \Delta(10Yr - 2Yr) + \varepsilon_t \end{split}$$

## Repo: Pre-Crisis

$$\begin{split} \Delta\theta_{t,repo}^{3m} &= \alpha + \sum\nolimits_{j=1}^{s} \beta_{j\Delta} \, \Phi_{t-j,repo}^{1m1d} + \sum\nolimits_{j=1}^{s} \Delta\theta_{t-j,repo}^{2m} + Qend\ dummy + \Delta 10Yr\ Treasury \\ &+ \Delta (10YrTreasury)^2 + \Delta VIX + \Delta S\&P + \Delta (10Yr - 2Yr) + \varepsilon_t \end{split}$$

	<aa< th=""><th>A-AAA</th><th>AA-AAA</th><th></th><th></th><th></th><th></th><th></th><th>Unpriced ABS /</th><th></th></aa<>	A-AAA	AA-AAA						Unpriced ABS /	
	ABS-	ABS-	ABS-			AA-AAA	BBB+/A		MBS / All	<b>Unpriced</b>
	RMBS/	Auto / CC	RMBS/	AA-AAA	AA-AAA	Corporat	Corporat	General	Sub-	CLO/
	CMBS	/ SL	CMBS	CDO	CLO	es	es	<b>Collateral</b>	Prime	CDO
Slope F-										
test	0.07	6.87	4.65	4.59	0.07	4.00	3.72	5.42	80.0	0.07
ProbF	0.80	0.01	0.03	0.03	0.80	0.05	0.05	0.02	0.77	0.80
Lags F-										
test	52.30	0.17	0.35	0.15	52.30	0.51	2.40	82.22	50.79	52.30
ProbF	0.00	0.68	0.55	0.70	0.00	0.48	0.12	0.00	0.00	0.00

## Repo: During Crisis

$$\begin{split} \Delta\theta_{t,repo}^{3m} &= \alpha + \sum\nolimits_{j=1}^{4} \beta_{j\Delta} \, \Phi_{t-j,repo}^{1m1d} + \sum\nolimits_{j=1}^{4} \Delta\theta_{t-j,repo}^{3m} + Qend\ dummy + \Delta 10Yr\ Treasury \\ &+ \Delta (10YrTreasury)^2 + \Delta VIX + \Delta S\&P + \Delta (10Yr - 2Yr) + \varepsilon_t \end{split}$$

	<aa< th=""><th>A-AAA</th><th>AA-AAA</th><th></th><th></th><th></th><th></th><th></th><th>Unpriced ABS /</th><th></th></aa<>	A-AAA	AA-AAA						Unpriced ABS /	
	ABS-	ABS-	ABS-			AA-AAA	BBB+/A		MBS / All	<b>Unpriced</b>
	RMBS/	<b>Auto / CC</b>	RMBS/	AA-AAA	AA-AAA	Corporat	Corporat	General	Sub-	CLO/
	CMBS	/ SL	CMBS	CDO	CLO	es	es	Collateral	Prime	CDO
Slope F-										
test	8.86	24.40	8.54	2.61	11.11	11.49	13.69	8.84	2.87	2.18
ProbF	0.00	0.00	0.00	0.11	0.00	0.00	0.00	0.00	0.09	0.14
Lags F-										
test	18.41	11.85	16.94	0.01	12.11	21.46	24.61	41.24	0.32	0.02
ProbF	0.00	0.00	0.00	0.92	0.00	0.00	0.00	0.00	0.57	0.88

## CP, FF, Euro\$: Pre-Crisis

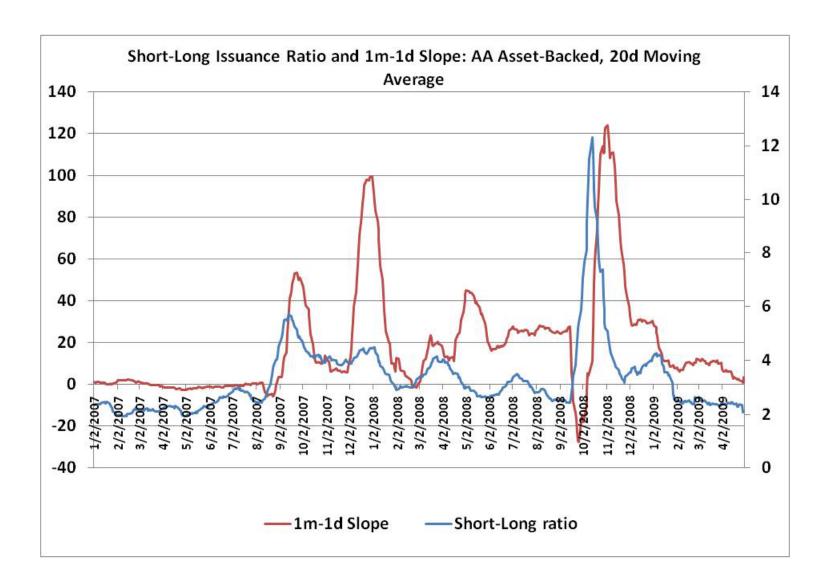
$$\begin{split} \Delta\theta_{e,t}^{\otimes m} &= \alpha + \sum\nolimits_{j=1}^{4} \; \beta_{j\Delta} \Phi_{e-j,t}^{1m1d} + \sum\nolimits_{j=1}^{4} \Delta\theta_{e-j,t}^{\otimes m} + Qend\; dummy + \Delta 10 \forall r\; Treasury \\ &+ \Delta (10 Yr Treasury)^2 + \Delta VIX + \Delta S\&P + \Delta (10 Yr - 2 Yr) + \varepsilon_t \end{split}$$

	A2/P2 Nonfinancial	AA Asset- backed	AA Financial	AA Nonfinancial	LIB	Fed
Slope F-test	0.09	1.08	1.40	0.81	1.22	0.85
ProbF	0.76	0.30	0.24	0.37	0.27	0.36
Lags F-test	92.40	0.42	0.02	0.17	2.99	95.68
ProbF	0.00	0.51	0.90	0.68	0.08	0.00

## CP, FF, Euro\$: During-Crisis

$$\begin{split} \Delta\theta_{e,t}^{\otimes m} &= \alpha + \sum\nolimits_{j=1}^{4} \; \beta_{j\Delta} \Phi_{e-j,t}^{1m1d} + \sum\nolimits_{j=1}^{4} \Delta\theta_{e-j,t}^{\otimes m} + Qend\; dummy + \Delta 10 \forall r\; Treasury \\ &+ \Delta (10 Yr Treasury)^2 + \Delta VIX + \Delta S\&P + \Delta (10 Yr - 2 Yr) + \varepsilon_t \end{split}$$

	A2/P2 Nonfinancial	AA Asset- backed	AA Financial	AA Nonfinancial	LIB	Fed
Slope F-test	40.80	3.99	1.92	0.48	6.17	29.63
Prob F	0.00	0.05	0.17	0.49	0.01	0.00
Lags F-test	14.44	34.81	22.82	9.17	27.11	15.80
Prob F	0.00	0.00	0.00	0.00	0.00	0.00



## Final Thoughts

- Money markets normally consist of riskless borrowers (who window dress).
- In the crisis, there are no riskless borrowers.
- Lenders generally flee to very short maturity in response; spread term structures positive.
- Positive slopes forecast counterparty risk lenders right to flee longer maturities.
- Suggests role of slope as indicator for policy.